



# Reducing Uncertainties of Thomson Scattering Measurements with Multi-Passband Polychromator Optical Filters

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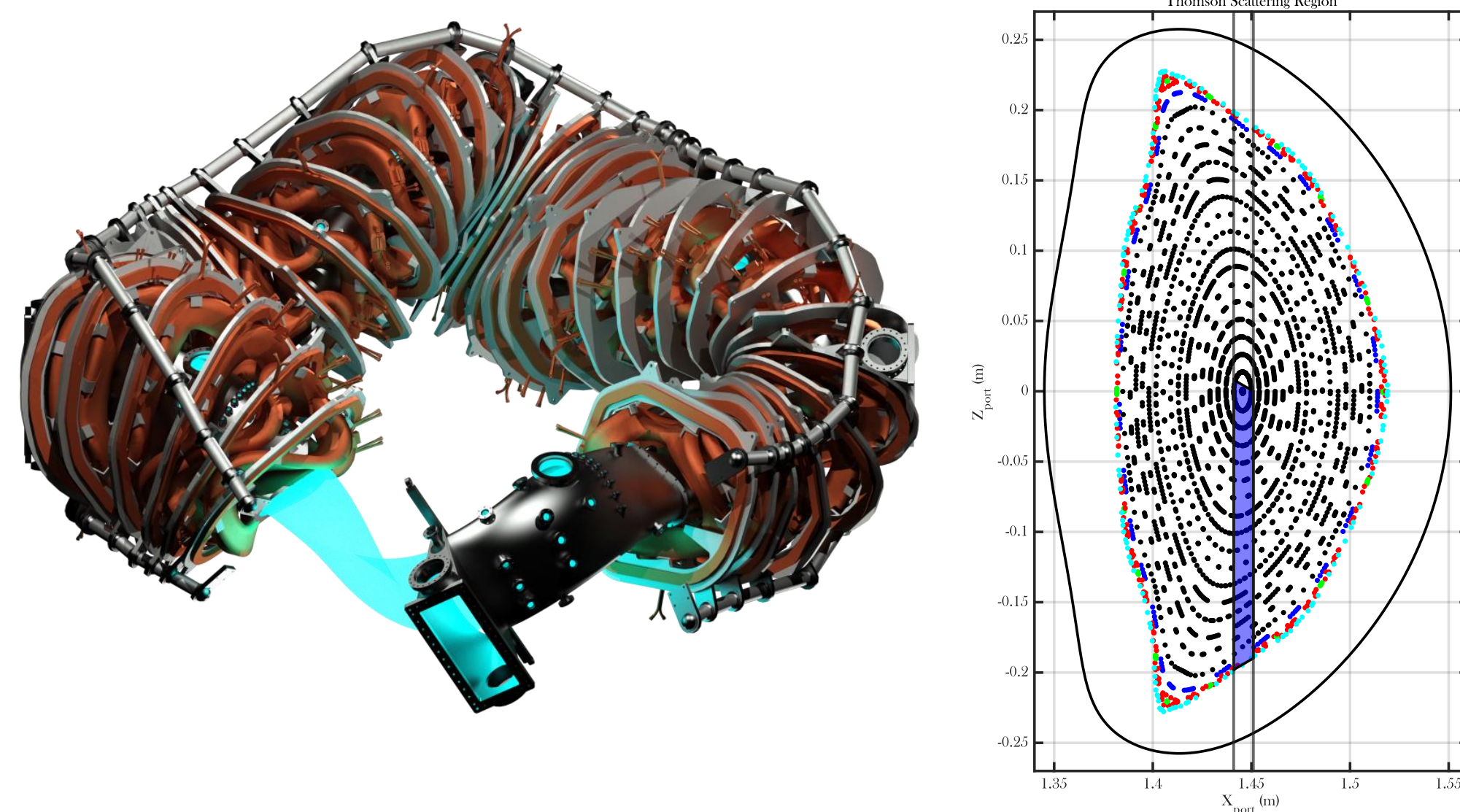
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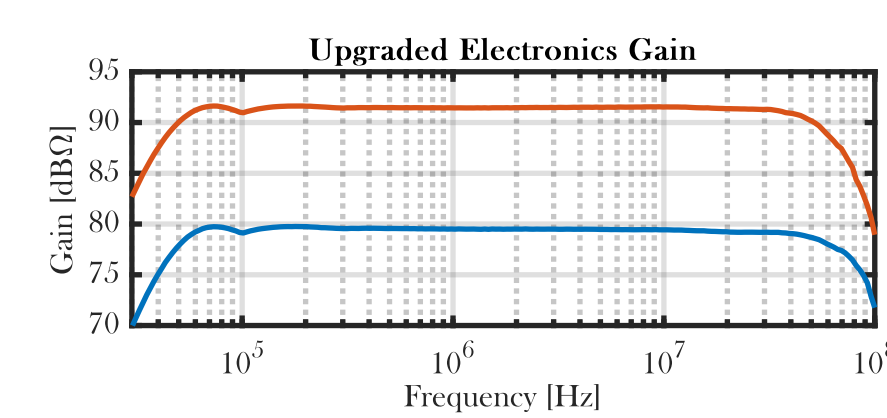
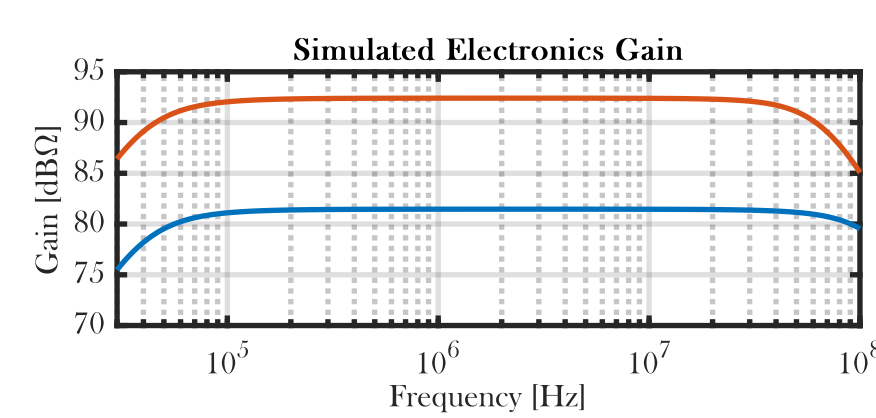
## Motivation

- Reduce uncertainty of existing diagnostic without increasing spectral channel density
- Minimize spectral channel density requirements
- Some third thing

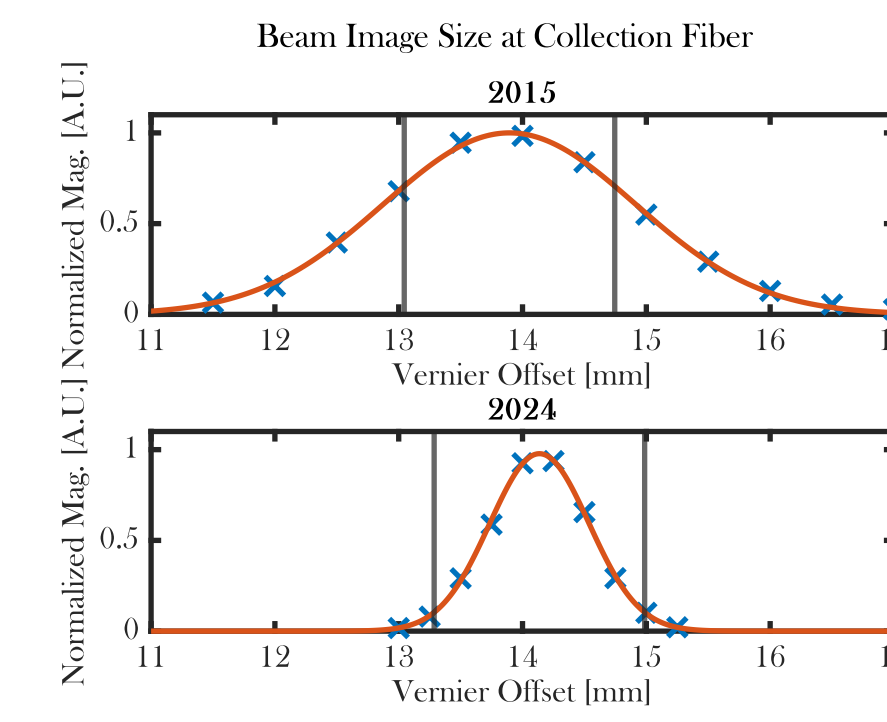
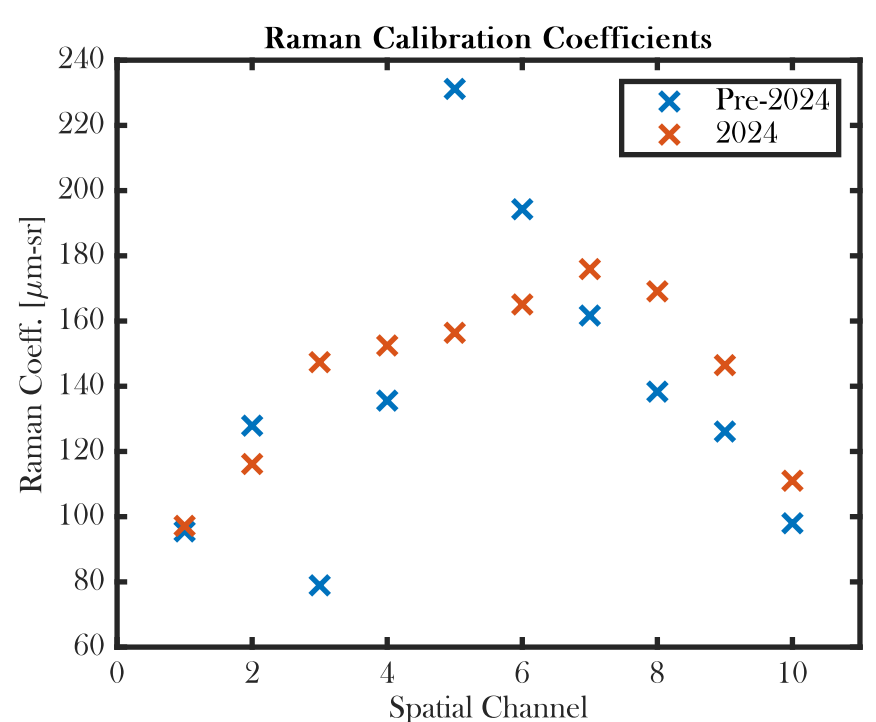
## Improved Thomson Scattering on HSX



- Current source: Litron TRL850
  - 1064 nm, 850 mJ, 10 Hz [1]
- Future source: InnoLas Spotlight EVO-IV
  - 1064 nm, 900 mJ, 0.4/2 kHz
- Ten spatial channels covering one half radius
- Optimized for detection up to 5 keV
- High-bandwidth, low-noise, AC-coupled detection electronics designed in-house [2]



- Recent Improvements:
  - Shortened beam path by 24%
  - Reduced beam path optics from five to just one
  - Removed stray light reduction baffled beam tube
    - Focus laser to 1/3 previous beam waist
  - Textured broadband anti-reflective window
  - Scattered energy increased 168%
  - New spectral calibration method



## Error Analysis

- A  $\chi^2$  minimization routine is used to determine  $T_e$  and  $n_e$  from the measured signal

$$\chi^2 = \sum_{j=1}^M \frac{(N_j - N_{m,j}(T_e, n_e))^2}{\sigma_j^2} \quad (2)$$

- Model number of photons [3]

$$N_{m,j} = n_e \Omega_s L \frac{E_{in} \lambda_{in}}{hc} \int_{\epsilon_{j,1}}^{\epsilon_{j,2}} \frac{d^2 \sigma_p}{d\Omega_s d\epsilon} T_{opt}(\epsilon) T_{filt,j}(\epsilon) \quad (1)$$

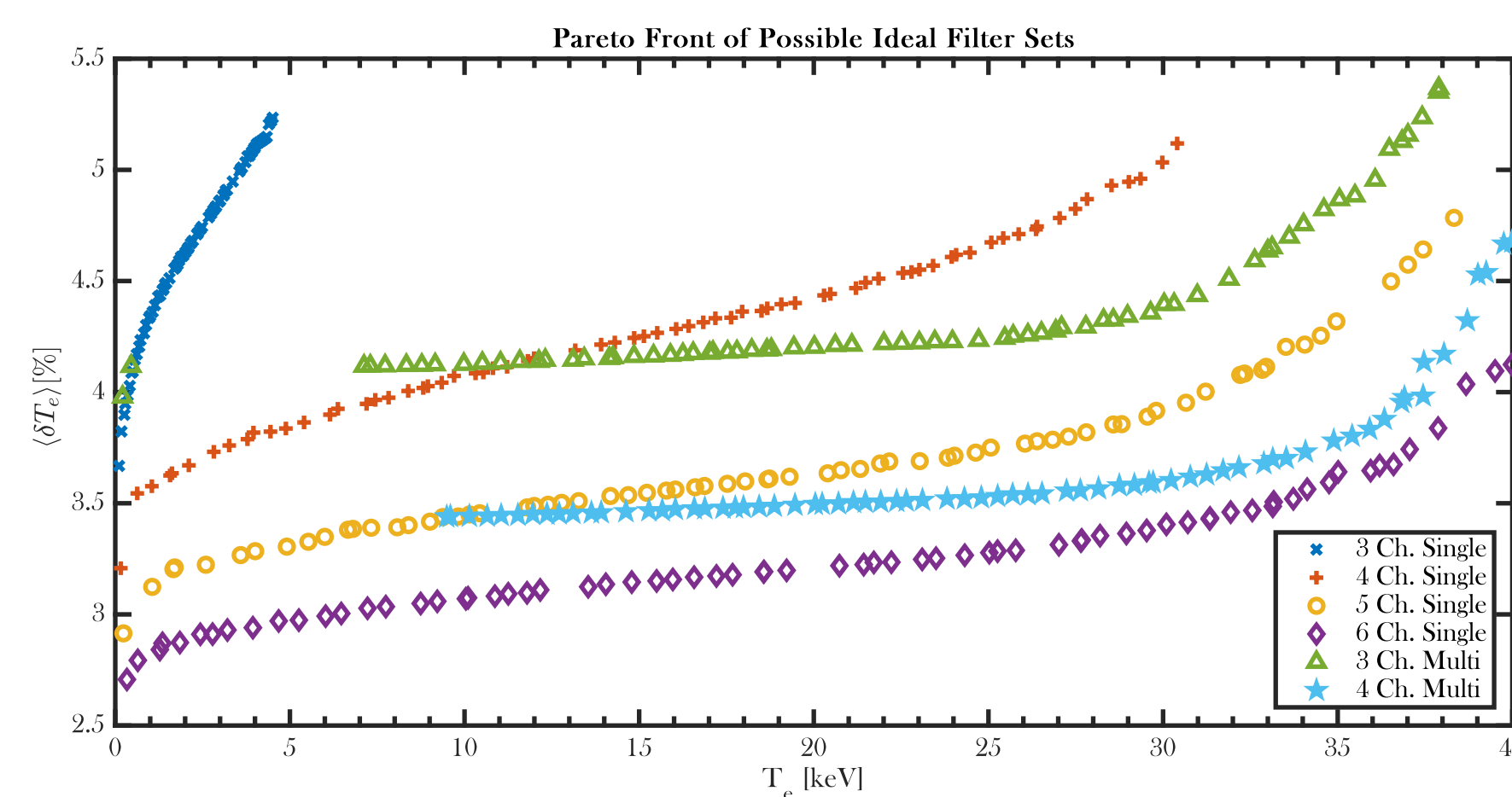
- Error analysis of Equation (2) leads to a first-order estimate for the variance in  $T_e$  for a detection system as

$$\sigma_{T_e}^2 = \frac{\sum_j \left( \frac{N_{m,j}}{\sigma_j} \right)^2}{\sum_j \left( \frac{\partial N_{m,j}}{\partial T_e} \frac{1}{\sigma_j} \right)^2 * \sum_j \left( \frac{N_{m,j}}{\sigma_j} \right)^2 - \left[ \sum_j \left( \frac{\partial N_{m,j}}{\partial T_e} * \frac{N_{m,j}}{\sigma_j^2} \right)^2 \right]} \quad (3)$$

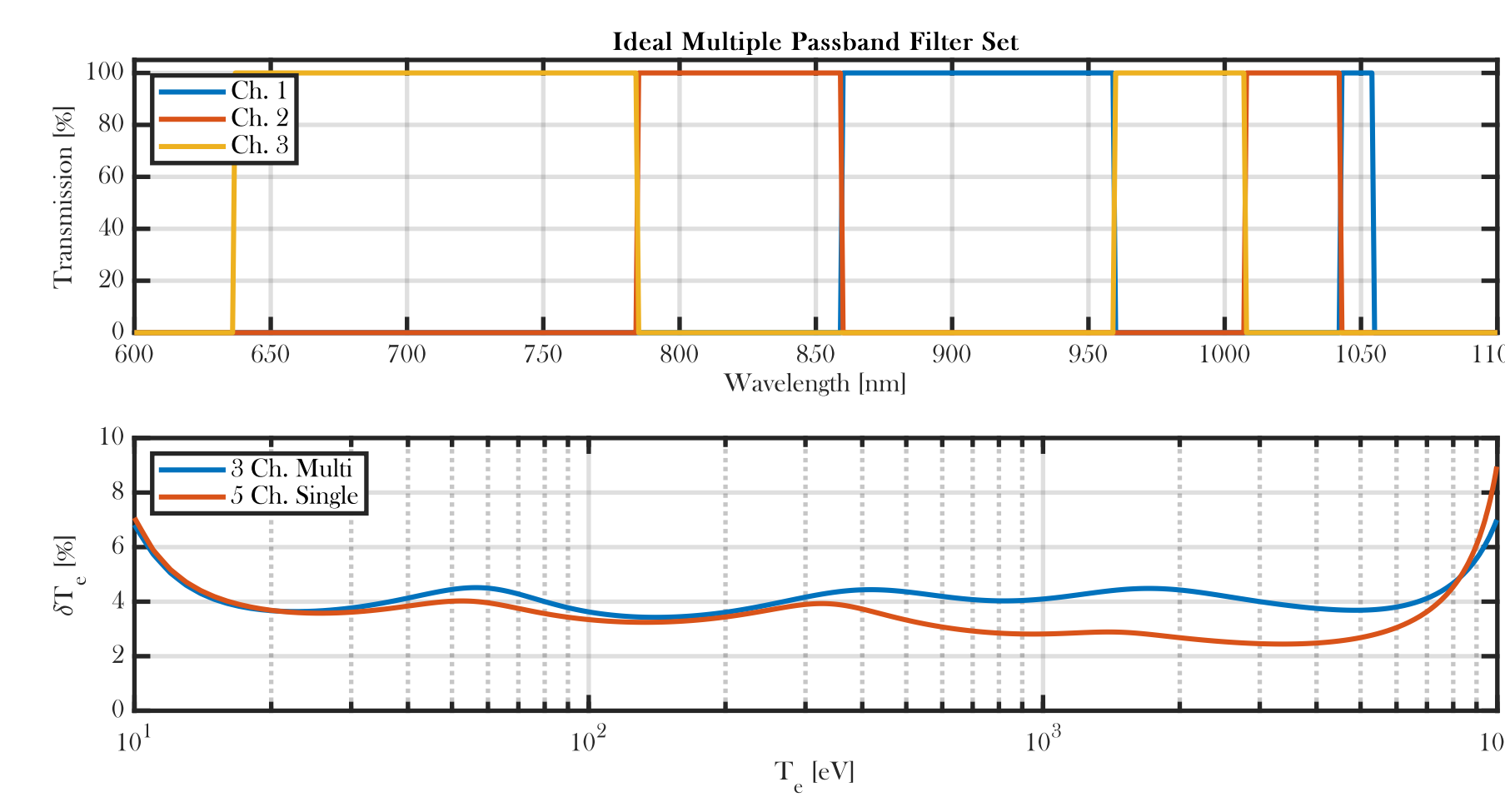
## Filter Set Optimization

- A controlled, elitist genetic algorithm was developed to optimize filter sets for use in polychromator based systems

- FOM  $\delta T_e = \sigma_{T_e} / T_e$
- Vary passbands of  $T_{filt,j}$
- Available objectives:
  - Maximize  $T_e$  bandwidth,  $\delta T_e(T_e) \leq 10\%$
  - Minimize average error,  $\langle \sigma_{T_e} / T_e \rangle$
  - Minimize error deviation,  $\sigma_{\delta T_e}$

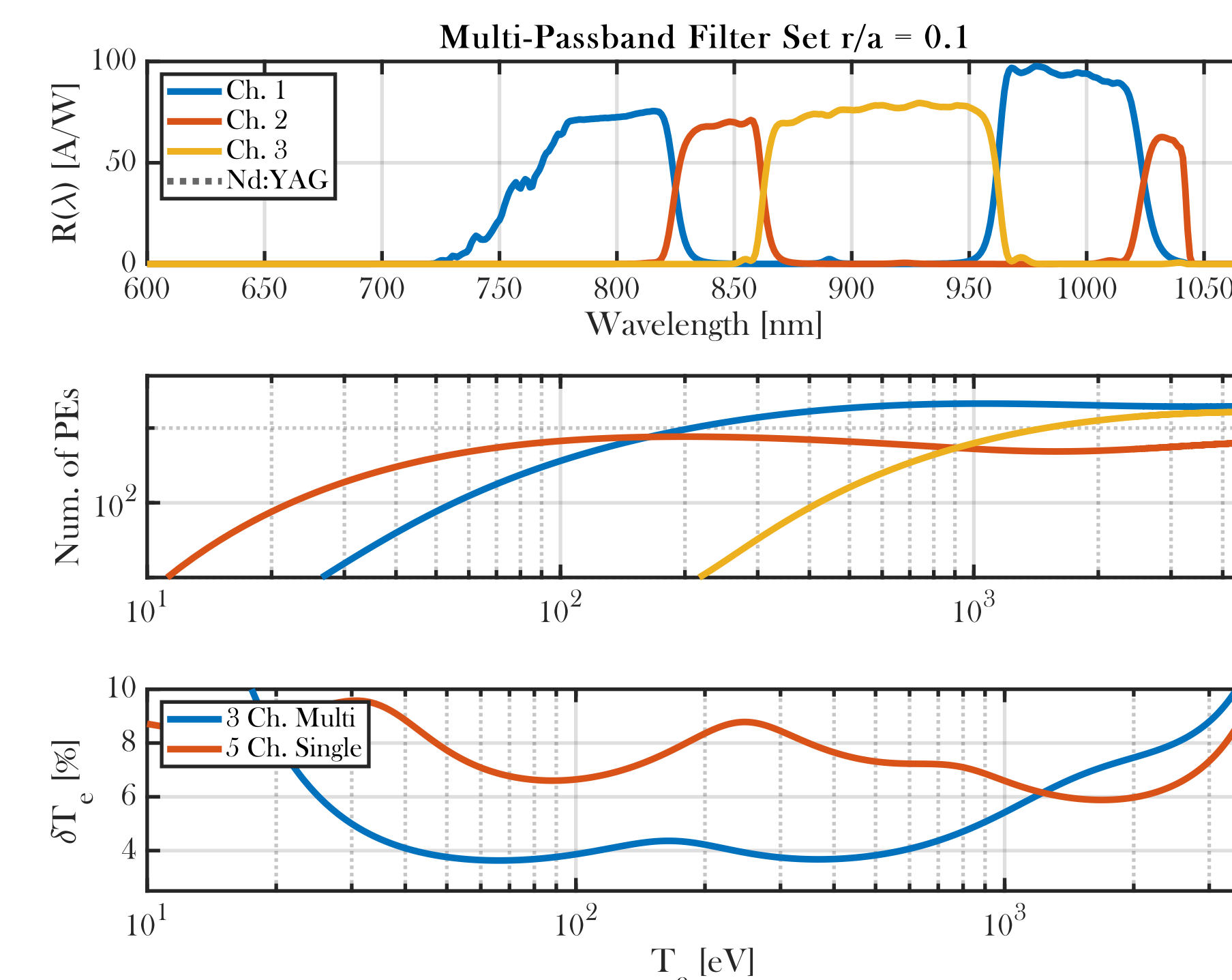


- Three channel multi-passband vs. five channel single band

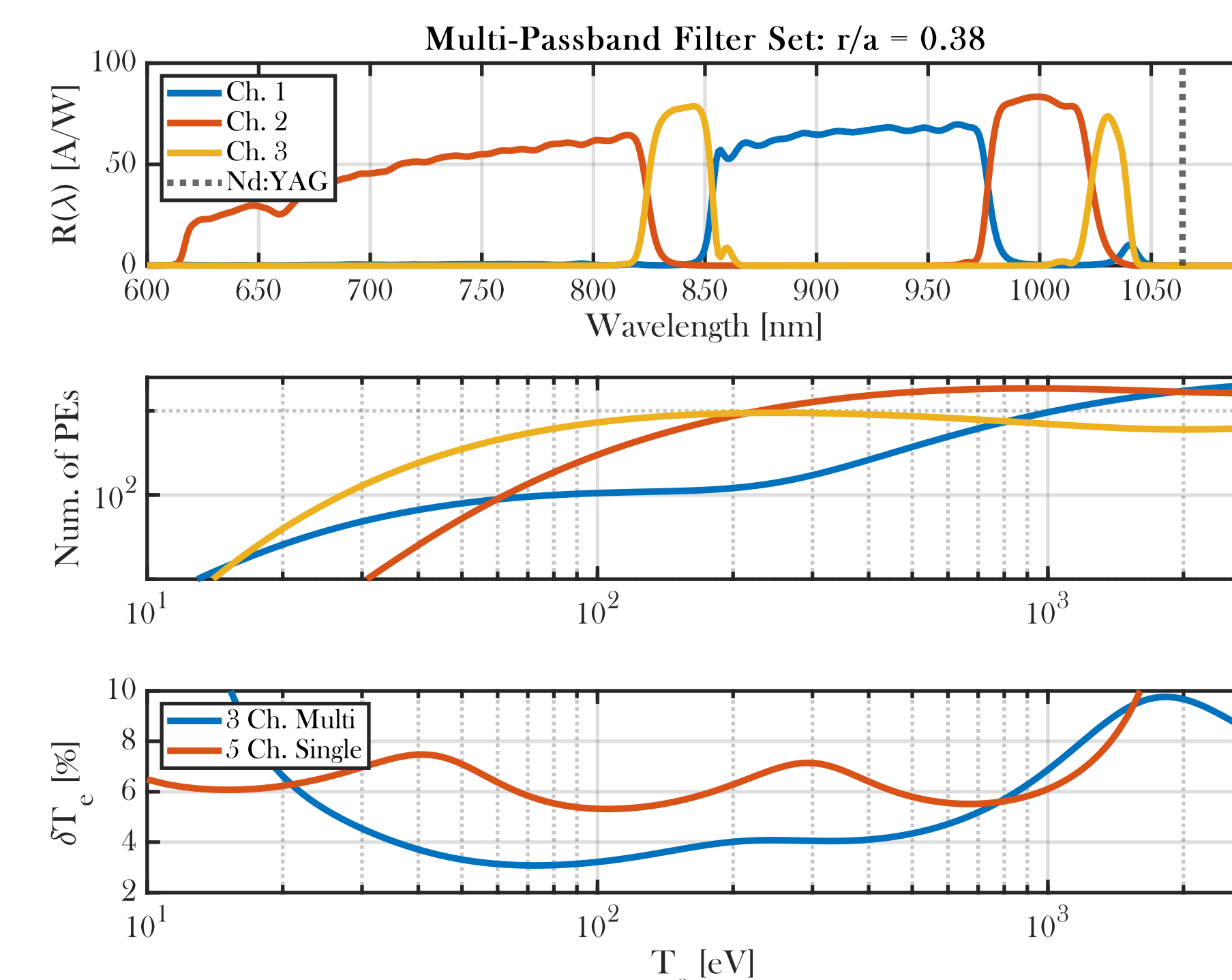


## HSX Multi-Bandpass Filter Set

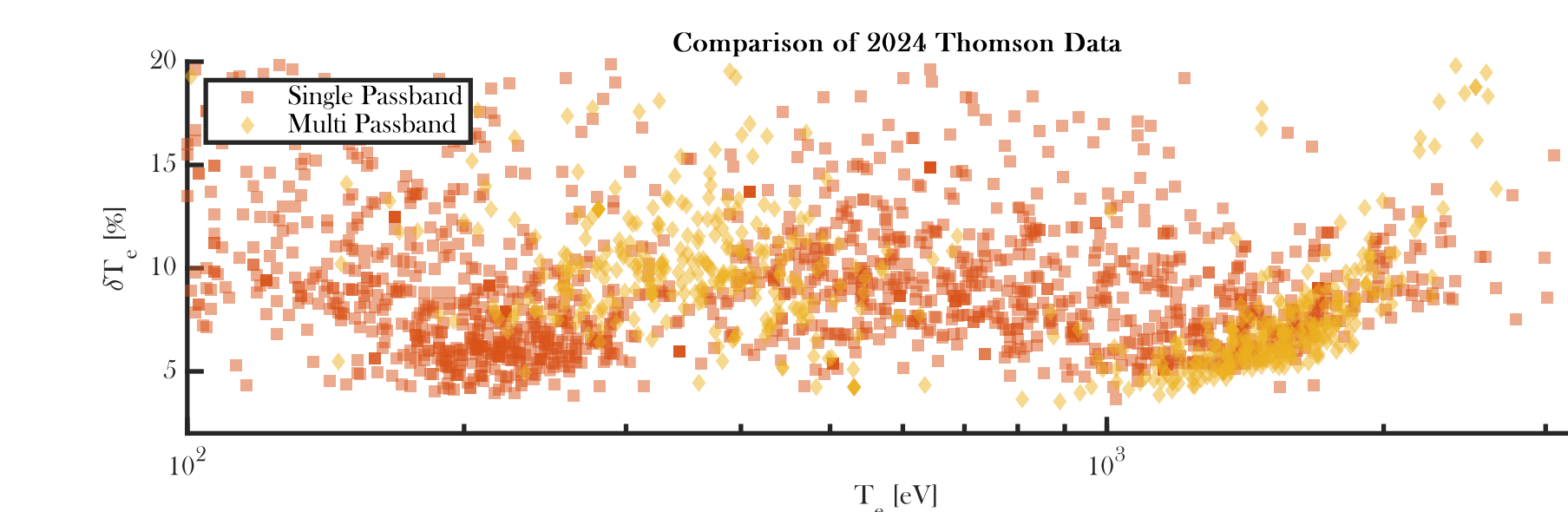
- Optimized filter set designed and manufactured by Alluxa
- Installed on two spatial channels,  $r/a = 0.10$  &  $0.38$
- Calculated  $\delta T_e(T_e)$  for  $r/a = 0.10$ 
  - 3-2-1 arrangement
  - 1064 nm notch filter, 44 nm width



- Calculated  $\delta T_e(T_e)$  for  $r/a = 0.38$ 
  - 1-3-2 arrangement
  - 1050 nm low-pass filter

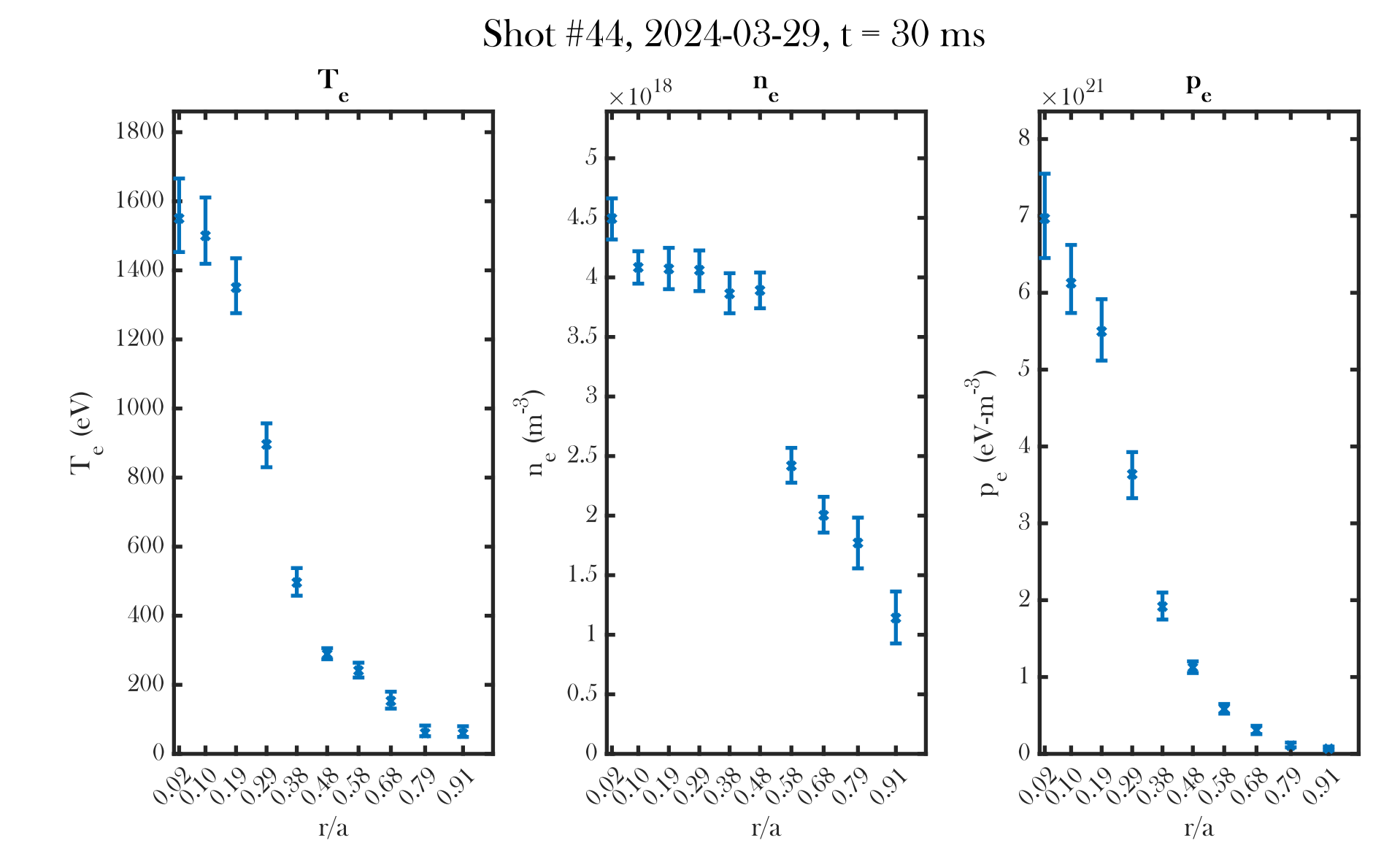


- Three channels of multi-bandpass filters performs equivalently to existing five channel filter set on HSX for range of  $T_e$
- Exceptional performance at high  $T_e$  for only three spectral channels

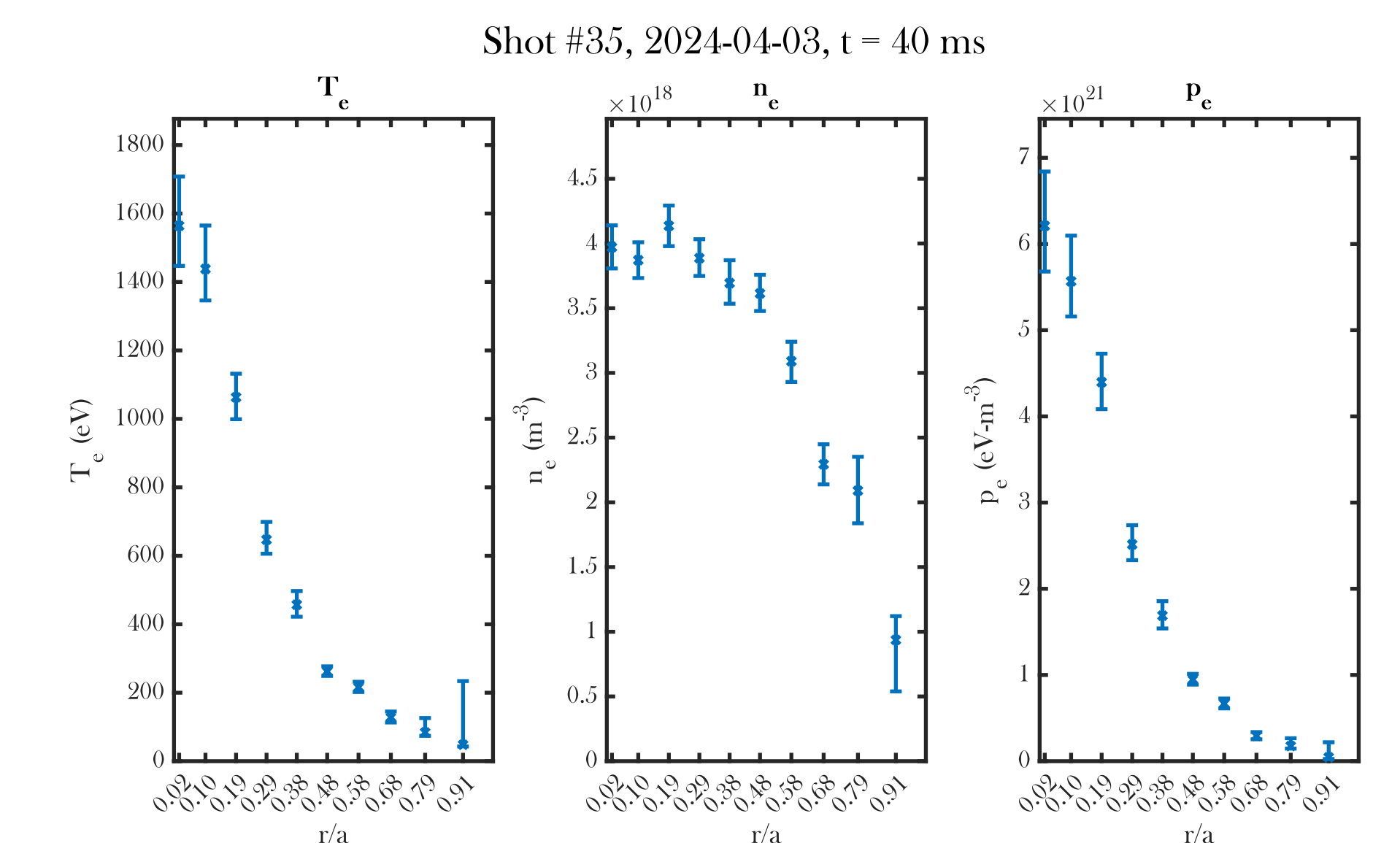


## Results

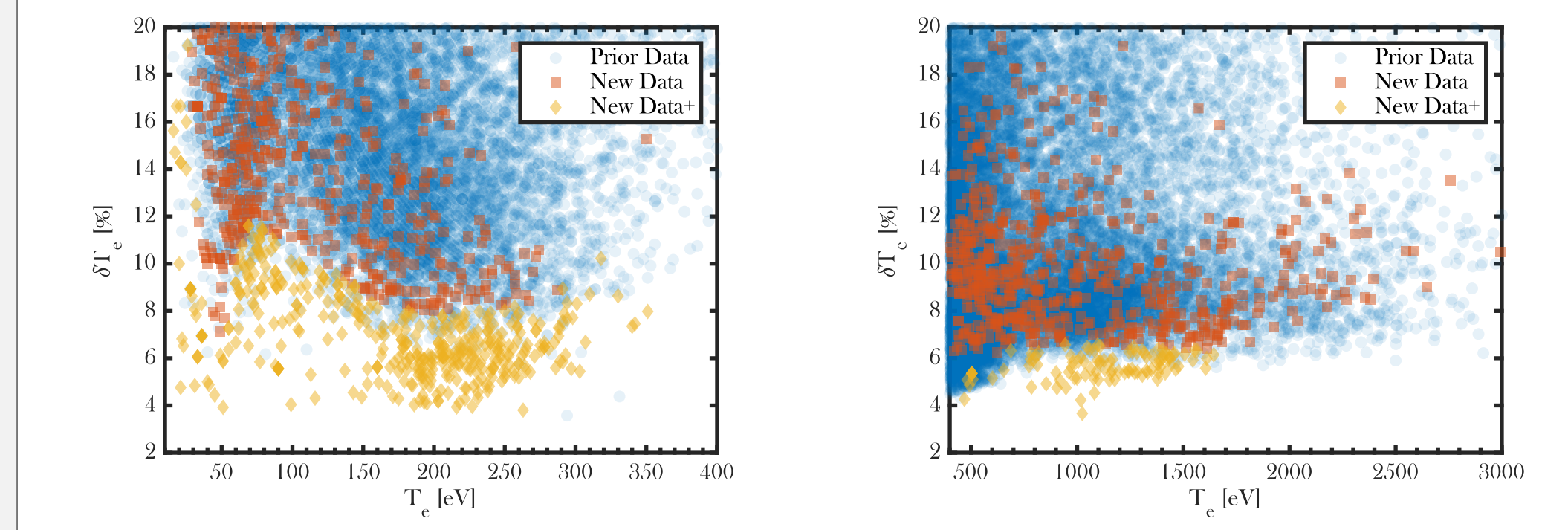
- Only one discharge needed for a reliable profile
- He plasma in 1 T, QHS configuration



- H plasma in 1 T, QHS configuration



- Compare pre-upgrade Thomson measurements from 2014 to post-upgrade measurements
- Lower uncertainty for 27% of new data than previously achievable



## References

- [1] K. Zhai et al, Rev. Sci. Instrum., **75**, 3900-3902 (2004)
- [2] W. R. Goodman et al, Rev. Sci. Instrum., **93**, 093518 (2022)
- [3] O. Naito et al, Phys. Fluids B, **5**, 4256-4258 (1993)

## Acknowledgements

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