



# Effect of Reynolds stress on momentum balance and flows in HSX

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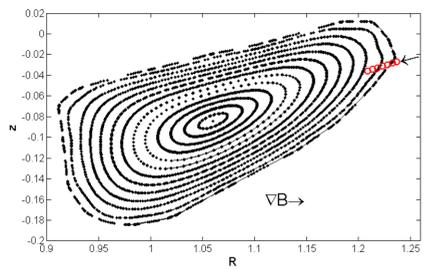
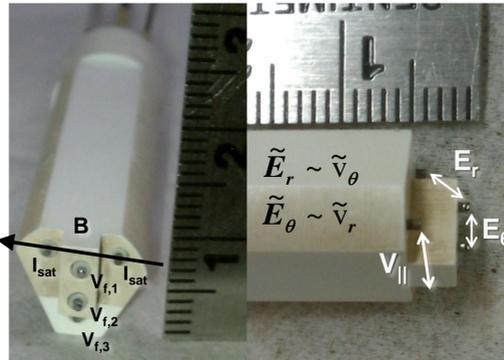


## Overview

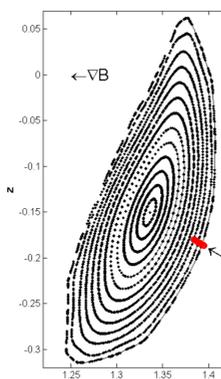
- How optimized must a magnetic configuration be for  $E_r$  to be determined through non-neoclassical processes?
- Measurements with both Langmuir probes and CHERS indicate that  $E_r$  can deviate from neoclassical calculations which calculate particle flux and enforce the ambipolarity condition
- Local measurements of Reynolds stress indicate a flow drive corresponding qualitatively to the deviation in the measured radial electric field
- For a sufficiently quasi-symmetric magnetic configuration, the neoclassical viscosity can be compensated for by the Reynolds stress (or Maxwell stress) due to turbulence
- Future plans: New probe installation to get a better estimate of flux surface average value of Reynolds stress term in the momentum balance
- Neoclassical transport to be scaled by varying magnetic configuration and collisionality to test when non-ambipolar particle transport and neoclassical viscosity dominate the Reynolds stress term in the momentum balance to determine the radial electric field

## Langmuir Probe Setup

- 5-pin Langmuir probe measures floating potential to infer  $E_r$  and  $E_\theta$ , and differential ion saturation current pins are configured as a Mach probe for  $V_{||}$
- Fluctuating velocity components obtained from measured fluctuating ExB velocities, assuming  $\nabla T_e$  fluctuations are negligible:
 
$$\tilde{v}_\theta \sim \tilde{E}_r = \frac{d\tilde{V}_f}{dx_r} \quad \tilde{v}_r \sim \tilde{E}_\theta = \frac{d\tilde{V}_f}{dx_\theta}$$
- Fluctuating  $v_r, v_\theta$  profile taken on shot-by-shot basis from single port location, radial derivative taken to estimate Reynolds stress flow drive



### Additional Langmuir probe installation



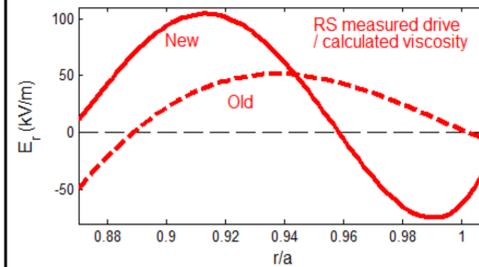
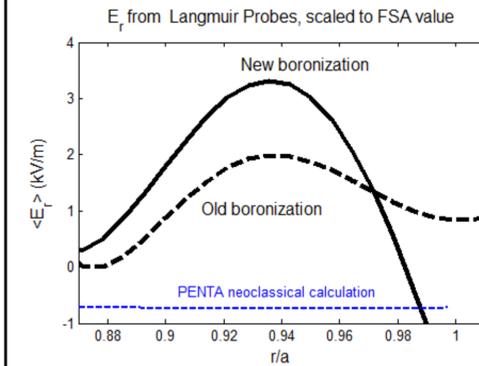
- Need the flux surface average value of Reynolds stress to properly account for it in momentum balance
- Current probe location is in region of low field and bad curvature, where trapped particle and resistive ballooning instabilities are expected to be destabilized
- Additional probe installation on high-field side of magnetic surface should provide better estimate of flux-surface average value of the Reynolds stress

## Deviation of $E_r$ from Neoclassical Prediction

- Using Langmuir probes to measure the radial floating potential profile on a shot-by-shot basis,  $E_r$  was found to deviate from the neoclassical calculations made using the PENTA code [1,2]
- No  $T_e$  gradient information available, but based on edge Thomson scattering measurements and a reasonable assumption of temperature gradient, this affect should not greatly affect interpretation of  $E_r$  from floating potential signals
- Given a small enough non-ambipolar neoclassical particle flux, other effects can compete to determine the radial electric field [3,4]

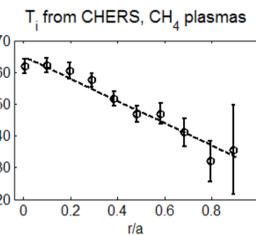
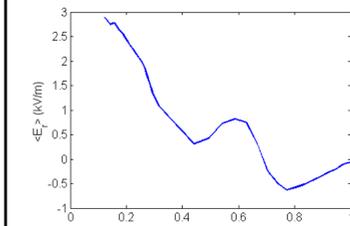
$$\bar{\mathbf{J}} \times \bar{\mathbf{B}} - \nabla p - \frac{\partial(\rho \bar{\mathbf{V}})}{\partial t} = \nabla \cdot (\rho \bar{\mathbf{V}} \bar{\mathbf{V}} + \bar{\boldsymbol{\pi}})$$

Reynolds stress      Viscosity (NC + turbulent)

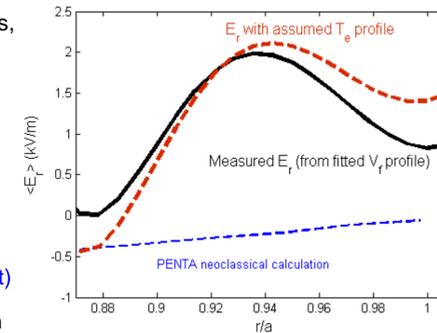


- Deviation of  $E_r$  from neoclassical prediction corresponds qualitatively to large measured Reynolds stress flow drive
- Measured Reynolds stress drive and deviation from neoclassical  $E_r$  calculation both increase with changing impurity content (wall conditioning)
- Neoclassical calculations are relatively insensitive to expected experimental changes
- Locally measured Reynolds stress and modeled neoclassical viscosity greatly over-predict rotation and resultant  $E_r$ 
  - May be due to location of measurement on a flux surface (new probe should help)
  - $T_e$  fluctuations may also be playing a role
- Reynolds stress flow drive estimated from poloidal momentum balance [4] and a rough estimate of neoclassical plus neutral viscosity:
 
$$\frac{\partial}{\partial t} \langle v_\theta \rangle = 0 = -\frac{\partial}{\partial r} (r^2 \langle \tilde{v}_r \tilde{v}_\theta \rangle) - \mu_\theta \langle v_\theta \rangle - v_{in} \langle v_\theta \rangle$$

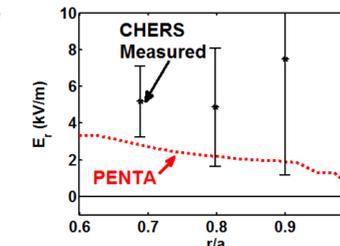
### PENTA Neoclassical $E_r$ Predictions



- PENTA code [1,2] calculates the neoclassical particle fluxes for a set of plasma parameters in a given magnetic configuration, then finds the ambipolar radial electric field
- PENTA uses monoenergetic DKES transport coefficients, corrects for momentum conservation
- $T_i$  from CHERS measurement in a methane discharge
- $T_i$  input into calculations is scaled down to account for removal of C ion species from plasma
- Neoclassical calculations relatively insensitive to changes in  $T_i$

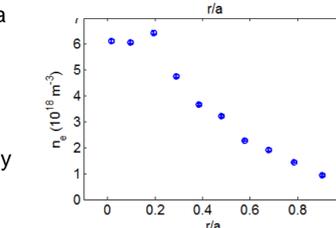
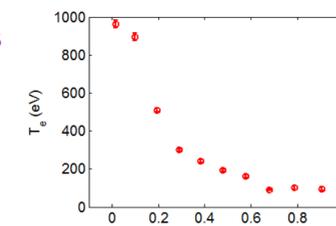


### CHERS also measures possible deviation from neoclassical predictions in CH4 plasmas (different plasma parameters)



[A. Briesemeister et al., PPCF 2012 (pending)]

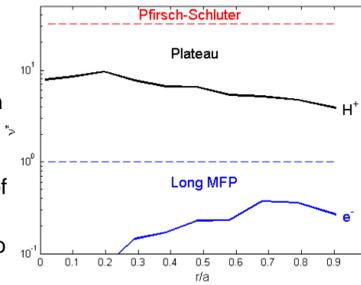
$$\langle v_\theta \rangle_{RS} = -\left( \frac{1}{\mu_\theta + v_{in}} \right) \frac{\partial}{\partial r} (\langle \tilde{v}_r \tilde{v}_\theta \rangle)$$



## Planned Experiments

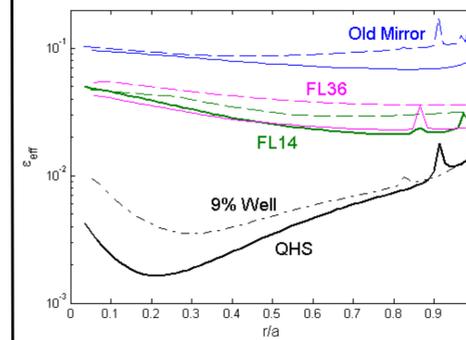
### Collisionality scan

- Neoclassical  $1/\nu$  transport occurs only in the long mean free path collisional regime
- Ions are solidly in the plateau regime and no direct ion heating is available, so ion particle transport is relatively fixed experimentally
- Electron collisionality will be scanned to test scaling of deviation of  $E_r$  and  $V_{||}$  from neoclassical calculations
- Expectation is that less collisional electrons will lead to larger deviation from neoclassical, and vice-versa



### Alternate Magnetic Configuration

- Compare neoclassical particle transport in different magnetic configurations
- Effective ripple is a measure of particle loss in collisionless regime for  $E_r=0$  [5]
- For a given percentage of auxiliary coil current, pick configuration with most effective ripple to compare to optimized QHS configuration
- Expectation would be for  $E_r$  measurements to more closely match the neoclassical calculation in configuration with designed symmetry broken



### Summary

- For a sufficiently optimized magnetic configuration, Reynolds stress can contribute to or even dominate neoclassical non-ambipolar transport in the determination of the radial electric field and rotation
- $E_r$  measured in HSX is different than what is calculated from the ambipolarity condition of neoclassical transport calculations in the edge
- Additional Reynolds stress probe is planned to get a better estimate of the flux surface average value of the Reynolds stress flow drive
- Proposed experiments will explore the scaling of deviation from neoclassical calculations with breaking of the designed symmetry, as well as the scaling with electron collisionality and neoclassical electron particle transport

## References

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